

## Database Design Issues, Part II

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CS252.HACD: Fundamentals of Relational Databases  
Section 9: Database Design Issues, Part II

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## First Normal Form (1NF)

On CS252 we shall assume that every relation, and therefore every relvar, is in 1NF.

The term (due to E.F. Codd) is not clearly defined, partly because it depends on an ill-defined concept of “atomicity” (of attribute values).

Some authorities take it that a relation is in 1NF iff none of its attributes is relation-valued or tuple-valued. It is certainly recommended to avoid use of such attributes (especially RVAs) in database relvars.

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## 2NF and 3NF

These normal forms, originally defined by E.F. Codd, were really “mistakes”. You will find definitions in the textbooks but there is no need to learn them.

The faults with Codd’s original definition of 3NF were reported to him by Raymond Boyce. Together they worked on an improved, simpler normal form, which became known as Boyce-Codd Normal Form (BCNF).

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## Boyce/Codd Normal Form (BCNF)

BCNF is defined thus:

Relvar  $R$  is in BCNF if and only if for every nontrivial FD  $A \rightarrow B$  satisfied by  $R$ ,  $A$  is a superkey of  $R$ .

More loosely, “every nontrivial determinant is a [candidate] key”.

BCNF addresses redundancy arising from JDs that are consequences of FDs.

(Not all JDs are consequences of FDs. We will look at the others later.)

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## Splitting ENROLMENT (bis)

### IS\_CALLED

StudentId	Name
S1	Anne
S2	Boris
S3	Cindy
S4	Devinder
S5	Boris

### IS\_ENROLLED\_ON

StudentId	CourseId
S1	C1
S1	C2
S2	C1
S3	C3
S4	C1

The attributes involved in the “rogue” FD have been separated into IS\_CALLED, and now we can add student S5!

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## Advantages of BCNF

With reference to our ENROLMENT example, decomposed into the BCNF relvars IS\_CALLED and IS\_ENROLLED\_ON:

- Anne’s name is recorded twice in ENROLMENT, but only once in IS\_CALLED. In ENROLMENT it might appear under different spellings (Anne, Ann), unless the FD  $\{ \text{StudentId} \} \rightarrow \{ \text{Name} \}$  is declared as a constraint. **Redundancy** is the problem here.
- With ENROLMENT, a student’s name cannot be recorded unless that student is enrolled on some course, and an anonymous student cannot be enrolled on any course. Lack of **orthogonality** is the problem here.

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### Another Kind of Rogue FD

TUTORS\_ON

StudentId	TutorId	TutorName	CourseId
S1	T1	Hugh	C1
S1	T2	Mary	C2
S2	T3	Lisa	C1
S3	T4	Fred	C3
S4	T1	Hugh	C1

Assume the FD  $\{ \text{TutorId} \} \rightarrow \{ \text{TutorName} \}$  holds.

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### Splitting TUTORS\_ON

TUTOR\_NAME

TutorId	TutorName
T1	Hugh
T2	Mary
T3	Lisa
T4	Fred
T5	Zack

TUTORS\_ON\_BCNF

StudentId	TutorId	CourseId
S1	T1	C1
S1	T2	C2
S2	T3	C1
S3	T4	C3
S4	T1	C1

Now we can put Zack, who isn't assigned to anybody yet, into the database. Note the FK required for TUTORS\_ON\_BCNF.

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### Dependency Preservation

SCR

StudentId	CourseId	Organiser	Room
S1	C1	Owen	13
S1	C2	Olga	24
S2	C1	Owen	13

Assume FDs:  $\{ \text{CourseId} \} \rightarrow \{ \text{Organiser} \}$   
 $\{ \text{Organiser} \} \rightarrow \{ \text{Room} \}$   
 $\{ \text{Room} \} \rightarrow \{ \text{Organiser} \}$

Which one do we address first?

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### Try 1: $\{ \text{CourseId} \} \rightarrow \{ \text{Organiser} \}$

SCR

StudentId	CourseId	Room
S1	C1	13
S1	C2	24
S2	C1	13

CO

CourseId	Organiser
C1	Owen
C2	Olga

"Loses"  $\{ \text{Room} \} \rightarrow \{ \text{Organiser} \}$   
 and  $\{ \text{Organiser} \} \rightarrow \{ \text{Room} \}$

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### Try 2: $\{ \text{Room} \} \rightarrow \{ \text{Organiser} \}$

SCR

StudentId	CourseId	Room
S1	C1	13
S1	C2	24
S2	C1	13

Organiser	Room
Owen	13
Olga	24

"Loses"  $\{ \text{CourseId} \} \rightarrow \{ \text{Organiser} \}$

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### Try 3: $\{ \text{Organiser} \} \rightarrow \{ \text{Room} \}$

SCO

StudentId	CourseId	Organiser
S1	C1	Owen
S1	C2	Olga
S2	C1	Owen

OR

Organiser	Room
Owen	13
Olga	24

Preserves all three FDs!

(But we must still decompose SCO, of course)

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### An FD That Cannot Be Preserved

#### TUTOR\_FOR

<u>StudentId</u>	<u>TutorId</u>	<u>CourseId</u>
S1	T1	C1
S1	T2	C2
S2	T3	C1
S3	T4	C3
S4	T1	C1

Now assume the FD  $\{ \text{TutorId} \} \rightarrow \{ \text{CourseId} \}$  holds.

This is a third kind of rogue FD.

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### Splitting TUTOR\_FOR

#### TUTORS

<u>StudentId</u>	<u>TutorId</u>
S1	T1
S1	T2
S2	T3
S3	T4
S4	T1

#### TEACHES

<u>TutorId</u>	<u>CourseId</u>
T1	C1
T2	C2
T3	C1
T4	C3

Note the keys.

Have we “lost” the FD  $\{ \text{StudentId}, \text{CourseId} \} \rightarrow \{ \text{TutorId} \}$  ?  
And the FK referencing IS\_ENROLLED\_ON?

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### Reinstating The Lost FD

Need to add the following constraint:

```
CONSTRAINT KEY_OF_TUTORS_JOIN_TEACHES
IS_EMPTY ( ( TUTORS JOIN TEACHES )
GROUP { ALL BUT StudentId, CourseId } AS G
WHERE COUNT ( G ) > 1 );
```

or equivalently:

```
CONSTRAINT KEY_OF_TUTORS_JOIN_TEACHES
WITH TUTORS JOIN TEACHES AS TJT :
COUNT ( TJT ) = COUNT ( TJT { StudentId, CourseId } );
```

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### And The Lost Foreign Key

The “lost” foreign key is easier:

```
CONSTRAINT FK_FOR_TUTORS_JOIN_TEACHES
IS_EMPTY ( ( TUTORS JOIN TEACHES )
NOT MATCHING
IS_ENROLLED_ON );
```

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### In BCNF But Still Problematical

#### TBC1

<u>Teacher</u>	<u>Book</u>	<u>CourseId</u>
T1	Database Systems	C1
T1	Database in Depth	C1
T1	Database Systems	C2
T1	Database in Depth	C2
T2	Database in Depth	C2

Assume the JD  $\{ \{ \text{Teacher}, \text{Book} \}, \{ \text{Book}, \text{CourseId} \} \}$  holds.

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### Normalising TBC1

#### TB

<u>Teacher</u>	<u>Book</u>
T1	Database Systems
T1	Database in Depth
T2	Database in Depth

#### BC

<u>Book</u>	<u>CourseId</u>
Database Systems	C1
Database in Depth	C1
Database Systems	C2
Database in Depth	C2

We have lost the constraint implied by the JD, but does a teacher really have to teach a course just because he or she uses a book that is used on that course?

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### Fifth Normal Form (5NF)

5NF caters for *all* harmful JDs.

Relvar  $R$  is in 5NF iff every nontrivial JD that holds in  $R$  is implied by the keys of  $R$ . (Fagin's definition, 1979)

Apart from a few weird exceptions, a JD is “implied by the keys” if every projection is a superkey. (Date's definition – but see the Notes for this slide)

To explain “nontrivial”: A JD is trivial if and only if one of its operands is the entire heading of  $R$  (because every such JD is clearly satisfied by  $R$ ).

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### A JD of Degree $> 2$

TBC2

<u>Teacher</u>	<u>Book</u>	<u>CourseId</u>
T1	Database Systems	C1
T1	Database in Depth	C1
T1	Database Systems	C2
T1	Database in Depth	C2
T2	Database in Depth	C2

Now assume the JD  $*\{ \{ \text{Teacher}, \text{Book} \}, \{ \text{Book}, \text{CourseId} \}, \{ \text{Teacher}, \text{CourseId} \} \}$  holds.

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### Normalising TBC2

TB

<u>Teacher</u>	<u>Book</u>
T1	Database Systems
T1	Database in Depth
T2	Database in Depth

BC

<u>Book</u>	<u>CourseId</u>
Database Systems	C1
Database in Depth	C1
Database Systems	C2
Database in Depth	C2

TC	<u>Teacher</u>	<u>CourseId</u>
	T1	C1
	T1	C2
	T2	C2

(and we've “lost” the constraint again)

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### Sixth Normal Form (6NF)

6NF subsumes 5NF and is the strictest NF:

Relvar  $R$  is in 6NF if and only if every JD that holds in  $R$  is trivial.

6NF provides maximal orthogonality, as already noted, but is not normally advised. It addresses additional anomalies that can arise with temporal data (beyond the scope of this course—and, what's more, the definition of join dependency has to be revised).

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### Wives of Henry VIII in 6NF

W\_FN

W\_LN

W\_F

Wife#	FirstName	Wife#	LastName	Wife#	Fate
1	Catherine	1	of Aragon	1	divorced
2	Anne	2	Boleyn	2	beheaded
3	Jane	3	Seymour	3	died
4	Anne	4	of Cleves	4	divorced
5	Catherine	5	Howard	5	beheaded
6	Catherine	6	Parr	6	survived

Not a good idea!

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### EXERCISE (see Notes)